

EE230: Solution to Homework Assignment 1

Problem 1

- Marvell Technology Group
- 2.3B Marvell Vs 15 Billion Iowa corn and soybean
- Market Capitalization: 12.72B (January 2010)

Problem 2

- Paul Gray
- Abstract**
A pipelined, 13-bit, 250-ksample/s (ks/s), 5-V, analog-to-digital (A/D) converter has been designed and fabricated in a 3- μm , CMOS technology. Monotonicity is achieved using a reference-feedforward correction technique instead of (self-) calibration of trimming to minimize the overall cost. The prototype converter requires 3400 mil^2 , and consumes 15 mW
- Design of a small, low power and cost effective analog to digital converter
- CMOS technology
- Abstract : A mobile device includes a system-on-chip (SOC) that includes a mobile device control module, a solid state disk (SSD) control module, and a random access memory (RAM) control module. The mobile device control module executes application programs for the mobile device. The solid-state disk (SSD) control module controls SSD operations. The RAM control module communicates with the mobile device control module and the SSD control module and stores both SSD-related data and mobile device-related data in a single RAM.

Problem 3

- Average area: 1.5cm^2

$$4\text{GB} \longrightarrow \frac{1.5\text{cm}^2}{4 \times 8 \times 10^9 \text{bits}} = 4.69 \times 10^{-11} \text{cm}^2 / \text{bit}$$

Problem 4

3.5" diameter can hold 750 GB

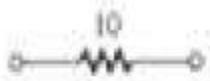
$$\text{Area} = \pi \times r^2 = 3.14 \times \left(\frac{3.5\text{inch}}{2} \times \frac{2.54\text{cm}}{1\text{inch}} \right)^2 = 62\text{cm}^2$$

$$\frac{62\text{cm}^2}{8 \times 750 \times 10^9} = 10.33 \times 10^{-12} \text{cm}^2 / \text{bit}$$

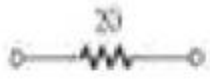
Problem 5

- 16 bit is common
- Analog levels: $2^{16} = 65536$

Problem 6 (Sedra/Smith Problem 1.4)



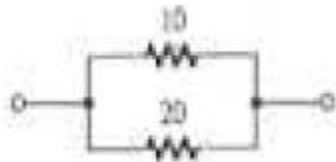
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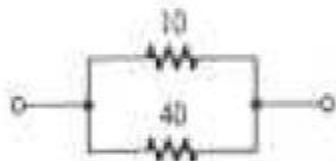
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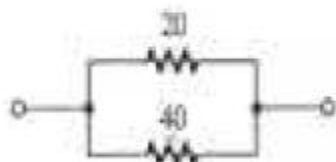
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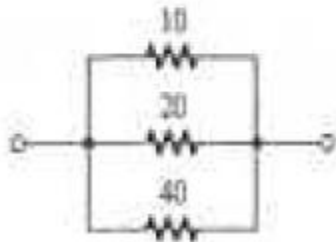
6.7



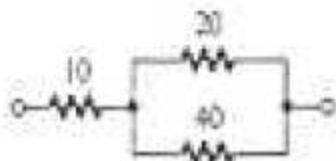
8.0



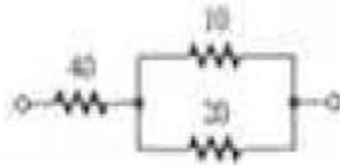
13.3



5.7



23.3



46.7



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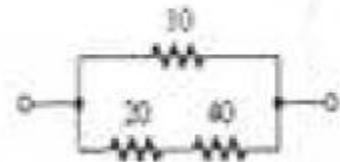
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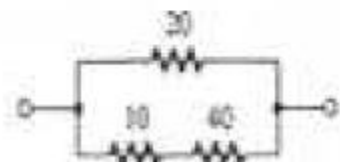
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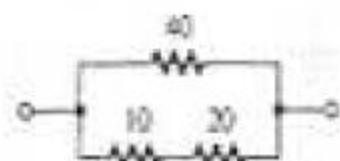
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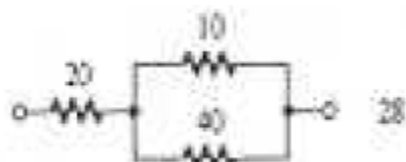
8.6



14.3



17.1

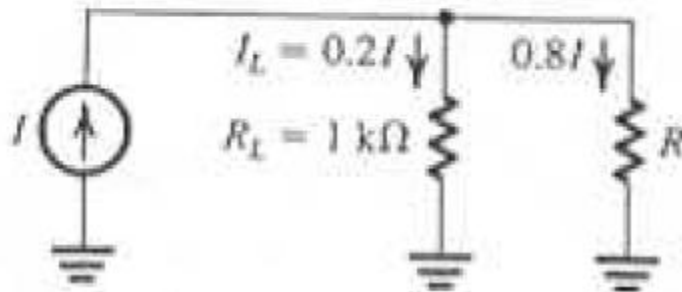


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Problem 7 (Sedra/Smith Problem 1.11)

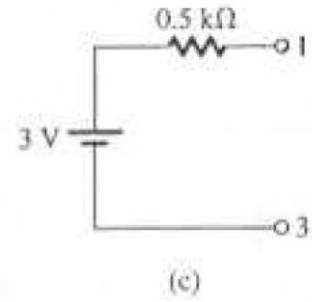
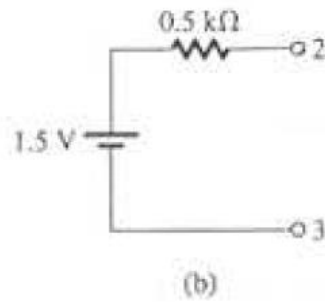
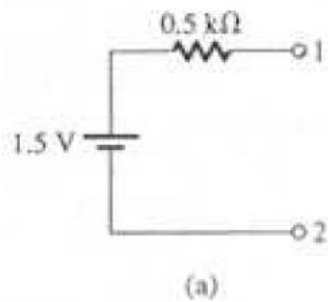
1.11 Connect a resistor R in parallel with R_L . To make $I_L = 0.2I$ (and thus the current through R , $0.8I$), R should be such

$$0.2I \times 1 \text{ k}\Omega = 0.8IR$$
$$\Rightarrow R = 250 \Omega$$

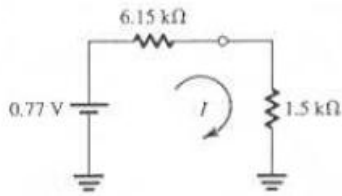


Problem 8 (Sedra/Smith Problem 1.14)

1.14



Problem 9 (Sedra/Smith Problem 1.16)



Now, when a resistance of 1.5 kΩ is connected between 4 and ground,

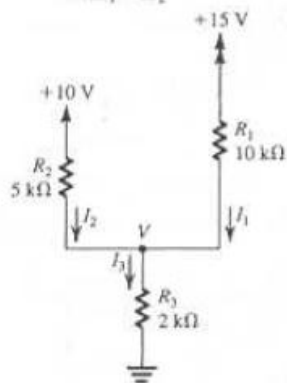
$$I = \frac{0.77}{6.15 + 1.5} = 0.1 \text{ mA}$$

1.16 (a) Node equation at the common node yields

$$I_3 = I_1 + I_2$$

Using the fact that the sum of the voltage drops across R_1 and R_3 equals 15 V, we write

$$\begin{aligned} 15 &= I_1 R_1 + I_3 R_3 \\ &= 10 I_1 + (I_1 + I_2) \times 2 \\ &= 12 I_1 + 2 I_2 \end{aligned}$$



That is,

$$12 I_1 + 2 I_2 = 15 \quad (1)$$

Similarly, the voltage drops across R_2 and R_3 add up to 10 V, thus

$$\begin{aligned} 10 &= I_2 R_2 + I_3 R_3 \\ &= 5 I_2 + (I_1 + I_2) \times 2 \end{aligned}$$

which yields

$$2 I_1 + 7 I_2 = 10 \quad (2)$$

Equations (1) and (2) can be solved together by multiplying (2) by 6,

$$12 I_1 + 42 I_2 = 60 \quad (3)$$

Now, subtracting (1) from (3) yields

$$\begin{aligned} 40 I_2 &= 45 \\ \Rightarrow I_2 &= 1.125 \text{ mA} \end{aligned}$$

Substituting in (2) gives

$$\begin{aligned} 2 I_1 &= 10 - 7 \times 1.125 \text{ mA} \\ \Rightarrow I_1 &= 1.0625 \text{ mA} \\ I_3 &= I_1 + I_2 \\ &= 1.0625 + 1.1250 \\ &= 1.1875 \text{ mA} \end{aligned}$$

$$\begin{aligned} V &= I_3 R_3 \\ &= 1.1875 \times 2 = 2.3750 \text{ V} \end{aligned}$$

To summarize:

$$\begin{aligned} I_1 &= 1.06 \text{ mA} & I_2 &= 1.13 \text{ mA} \\ I_3 &= 1.19 \text{ mA} & V &= 2.38 \text{ V} \end{aligned}$$

(b) A node equation at the common node can be written in terms of V as

$$\frac{15 - V}{R_1} + \frac{10 - V}{R_2} = \frac{V}{R_3}$$

Thus,

$$\begin{aligned} \frac{15 - V}{10} + \frac{10 - V}{5} &= \frac{V}{2} \\ \Rightarrow 0.8 V &= 3.5 \\ \Rightarrow V &= 2.375 \text{ V} \end{aligned}$$

Now, I_1 , I_2 , and I_3 can be easily found as

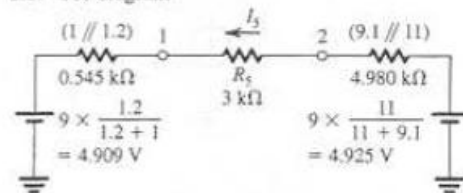
$$I_1 = \frac{15 - V}{10} = \frac{15 - 2.375}{10} = 1.0625 \text{ mA} = 1.06 \text{ mA}$$

$$I_2 = \frac{10 - V}{5} = \frac{10 - 2.375}{5} = 1.125 \text{ mA} = 1.13 \text{ mA}$$

$$I_3 = \frac{V}{R_3} = \frac{2.375}{2} = 1.1875 \text{ mA} = 1.19 \text{ mA}$$

Method (b) is much preferred; faster, more insightful and less prone to errors. In general, one attempts to identify the least possible number of variables and write the corresponding minimum number of equations.

1.17 See diagram



$$I_3 = \frac{4.925 - 4.909}{4.98 + 3 + 0.545} = 1.88 \mu\text{A}$$

$$V_3 = 1.88 \mu\text{A} \times 3 \text{ k}\Omega = 5.64 \text{ mV}$$