

EE 330

Lecture 16

Devices in Semiconductor Processes

- Diodes (continued)
- Capacitors
- MOSFETs

Exam 2 Schedule

Exam 2 will be given on Friday March 11

Exam 3 will be given on Friday April 15

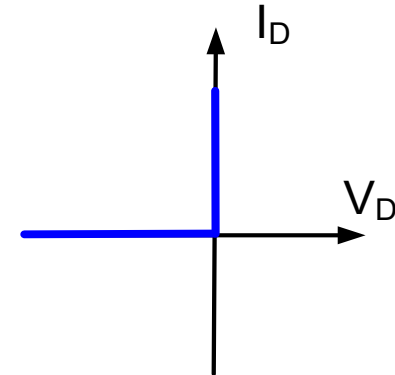
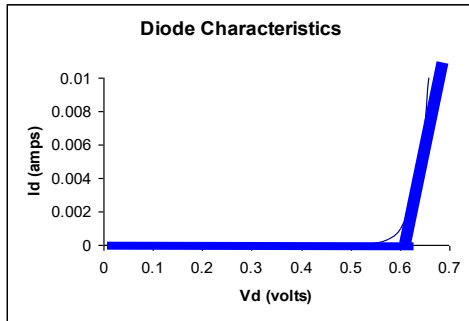
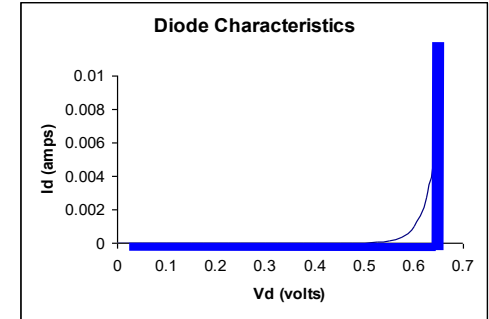
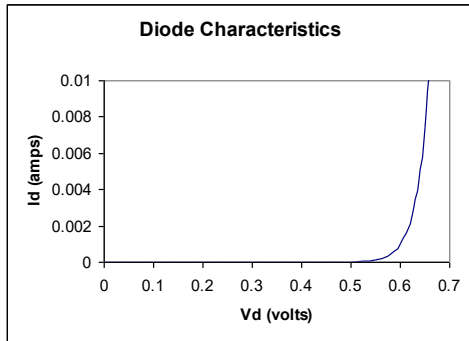
Photo courtesy of the director of the National Institute of Health (NIH)



As a courtesy to fellow classmates, TAs, and the instructor

Wearing of masks during lectures and in the laboratories for this course would be appreciated irrespective of vaccination status

Diode Models



Which model should be used?

The simplest model that will give acceptable results in the analysis of a circuit

Use of Piecewise Models for Nonlinear Devices when Analyzing Electronic Circuits

Process:

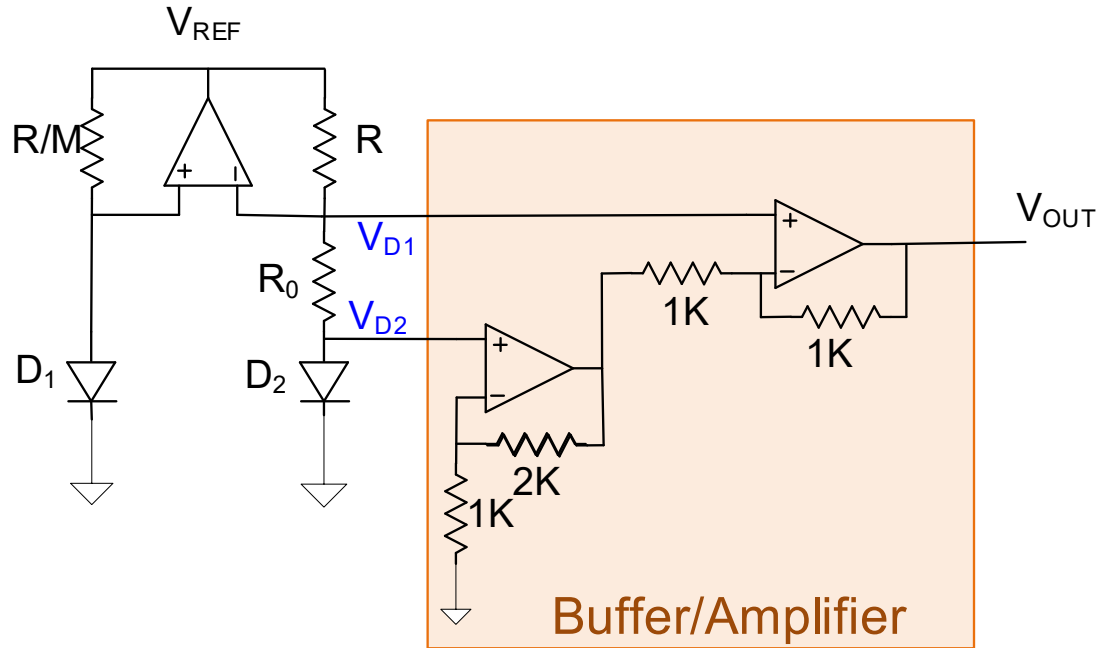
1. Guess state of the device
2. Analyze circuit
3. Verify State
4. Repeat steps 1 to 3 if verification fails
5. Verify model (if necessary)

Observations:

- Analysis generally simplified dramatically (particularly if piecewise model is linear)
- Approach applicable to wide variety of nonlinear devices
- Closed-form solutions give insight into performance of circuit
- Usually much faster than solving the nonlinear circuit directly
- Wrong guesses in the state of the device do not compromise solution (verification will fail)
- Helps to guess right the first time
- Detailed model is often not necessary with most nonlinear devices
- Particularly useful if piecewise model is PWL (but not necessary)
- For practical circuits, the simplified approach usually applies

Key Concept For Analyzing Circuits with Nonlinear Devices

A Diode Application



If buffer/amplifier added, serves as temperature sensor at V_{OUT}

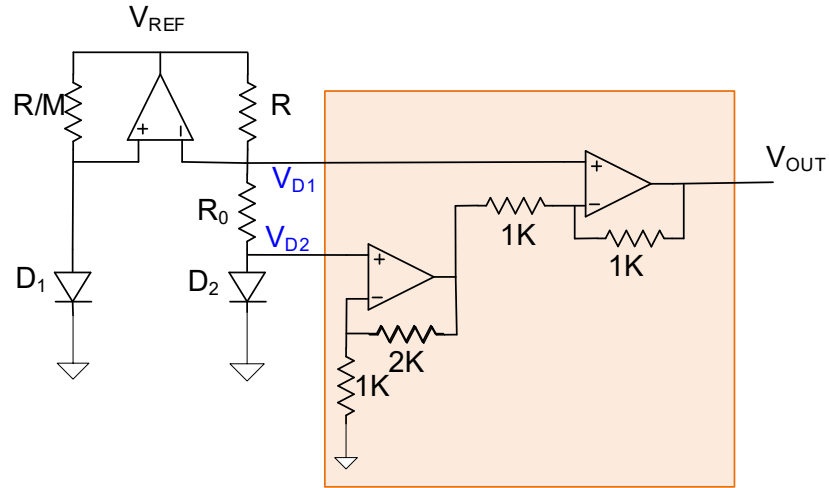
$$V_{OUT} = 2(V_{D1} - V_{D2})$$

May need compensation and startup circuits

For appropriate R_0 , serves as bandgap voltage reference (buffer/amplifier excluded)

$$V_{REF} = V_{D1} + \frac{R}{R_0}(V_{D1} - V_{D2})$$

A Diode Application



$$V_{OUT} = 2(V_{D1} - V_{D2})$$

Analysis of temperature sensor (assume D_1 and D_2 matched)

$$I_{D2}(T) = \left(J_{SX} \left[T^m e^{\frac{-V_{G0}}{V_t}} \right] \right) A e^{\frac{V_{D2}}{V_t}}$$

$$I_{D1}(T) = \left(J_{SX} \left[T^m e^{\frac{-V_{G0}}{V_t}} \right] \right) A e^{\frac{V_{D1}}{V_t}}$$

$$I_{D1}(T) = M I_{D2}(T)$$

$$V_t = \frac{k}{q} T$$

$$\left(J_{SX} \left[T^m e^{\frac{-V_{G0}}{V_t}} \right] \right) A e^{\frac{V_{D1}}{V_t}} = M \left(J_{SX} \left[T^m e^{\frac{-V_{G0}}{V_t}} \right] \right) A e^{\frac{V_{D2}}{V_t}}$$

Cancelling terms and taking ln we obtain

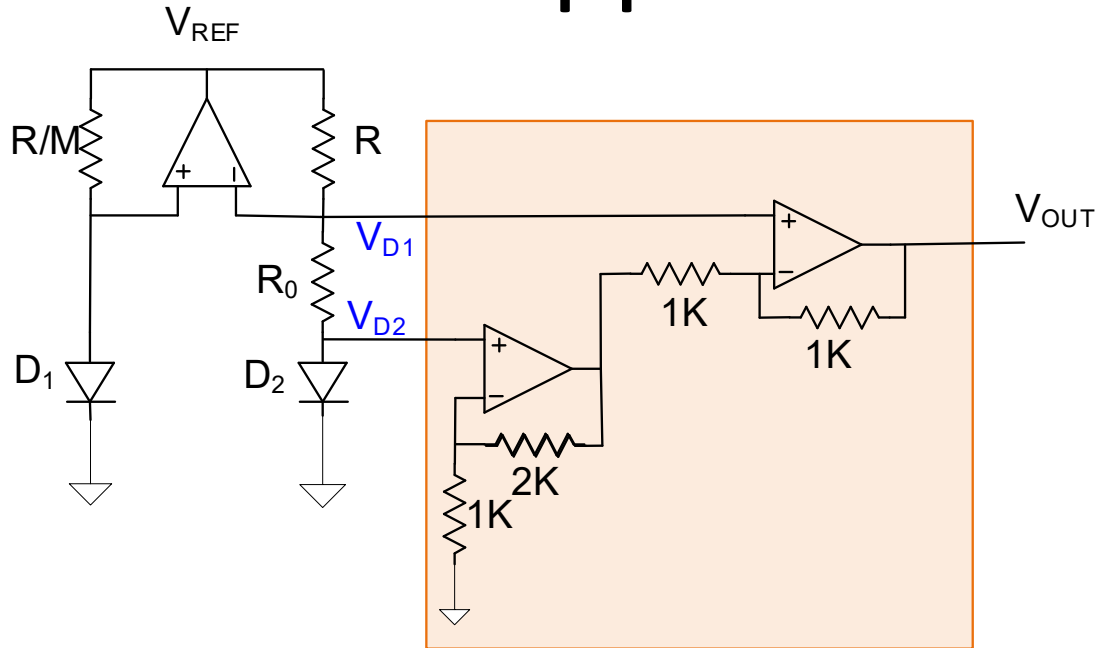
$$V_{D1} - V_{D2} = V_t \ln M$$

Thus

$$V_{OUT} = 2(V_{D1} - V_{D2}) = 2 \ln M \cdot \frac{k}{q} T$$

$$T = V_{OUT} \frac{q}{2k \ln M}$$

A Diode Application



May need compensation and startup circuits

If buffer/amplifier added, serves as temperature sensor at V_{OUT}

$$V_{OUT} = 2(V_{D1} - V_{D2}) \quad \longrightarrow \quad T = V_{OUT} \frac{q}{2k \ln M}$$

For appropriate R_0 , serves as bandgap voltage reference

$$V_{REF} = V_{D1} + \frac{R}{R_0}(V_{D1} - V_{D2}) \quad \longrightarrow \quad ?$$

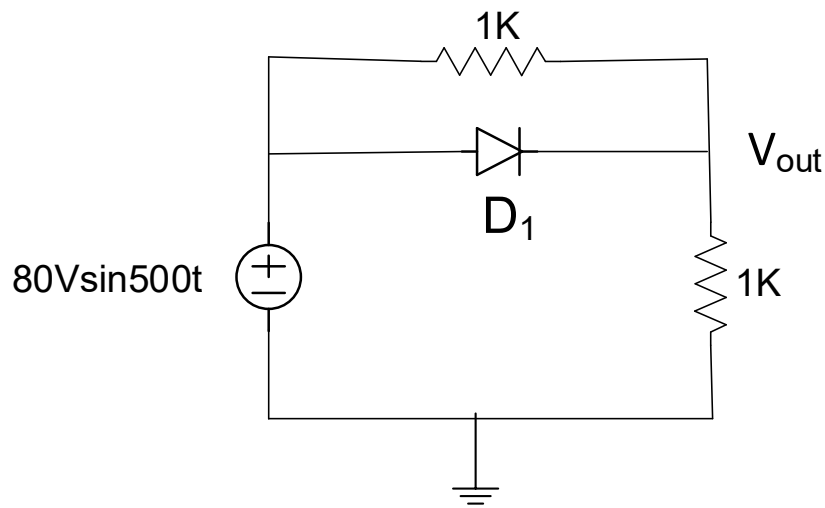
Analysis of V_{REF} to show output is nearly independent of T and V_{DD} is more tedious

Use of Piecewise Models for Nonlinear Devices when Analyzing Electronic Circuits

Process:

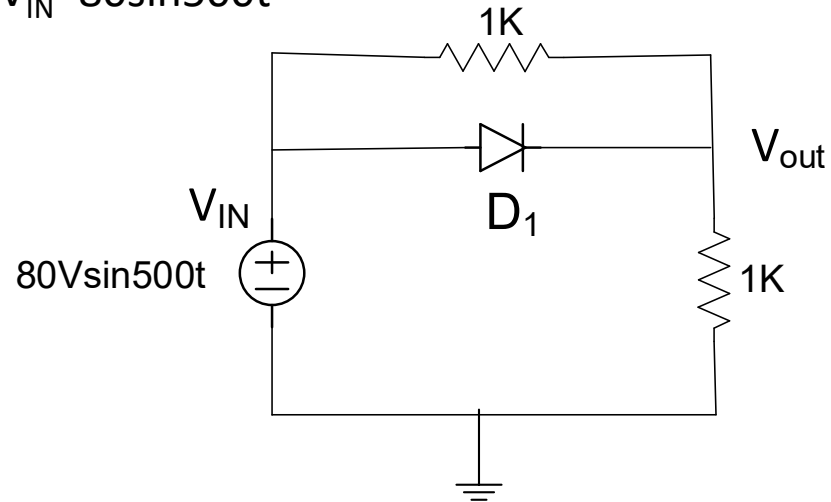
1. Guess state of the device
2. Analyze circuit
3. Verify State
4. Repeat steps 1 to 3 if verification fails
5. Verify model (if necessary)

What about nonlinear circuits (using piecewise models) with time-varying inputs?

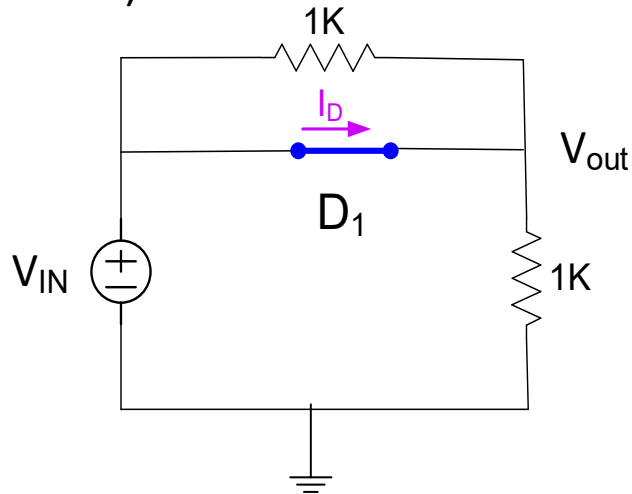


Same process except state verification (step 3) may include a range where solution is valid

Example: Determine V_{OUT} for $V_{IN}=80\sin 500t$



Guess D_1 ON (will use ideal diode model)

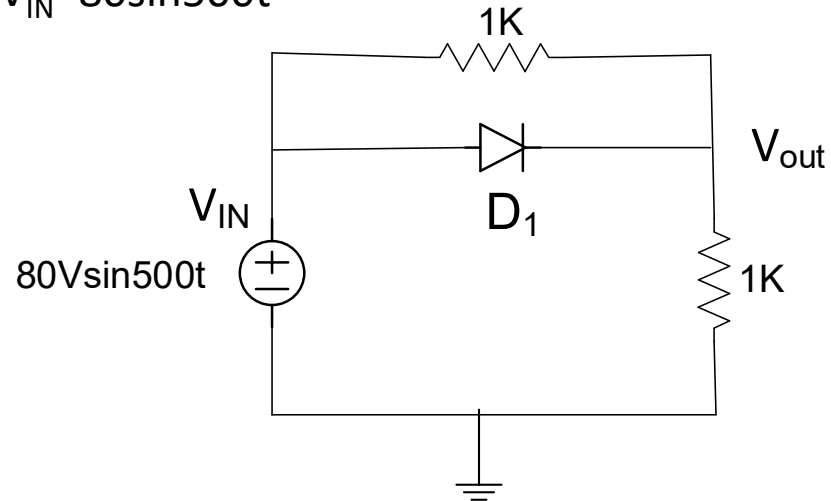


$$V_{OUT}=V_{IN}=80\sin(500t)$$

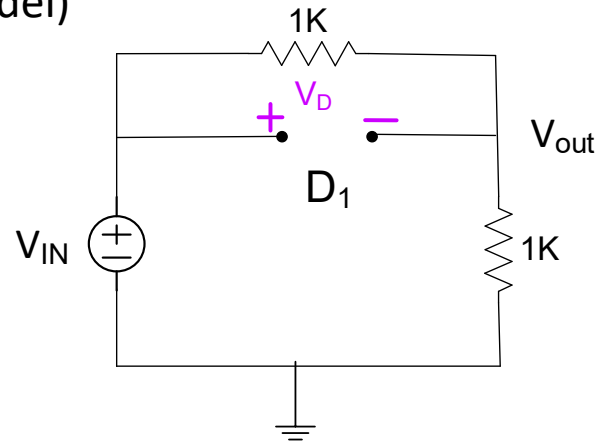
Valid for $I_D > 0$ $I_D = \frac{V_{IN}}{1K}$

Thus valid for $V_{IN} > 0$

Example: Determine V_{OUT} for $V_{IN}=80\sin 500t$



Guess D_1 OFF (will use ideal diode model)

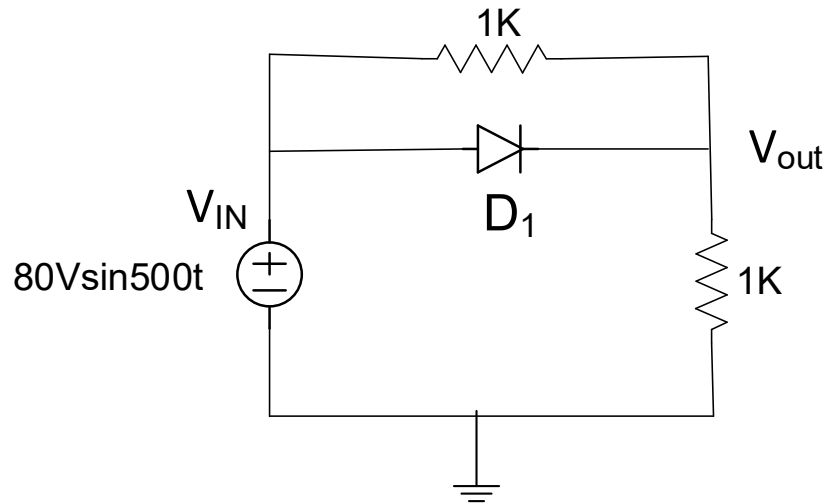


$$V_{OUT}=V_{IN}/2=40\sin(500t)$$

$$\text{Valid for } V_D < 0 \quad V_D = \frac{V_{IN}}{2}$$

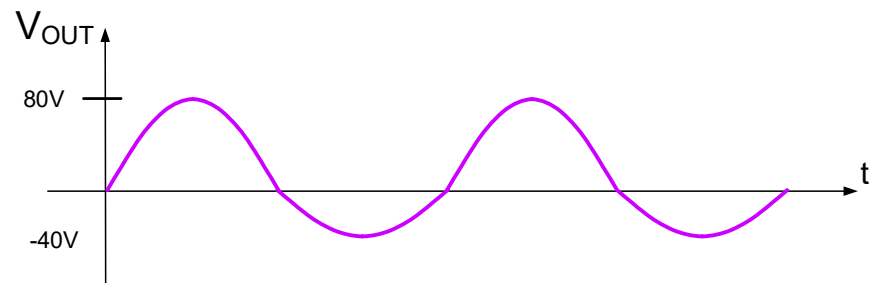
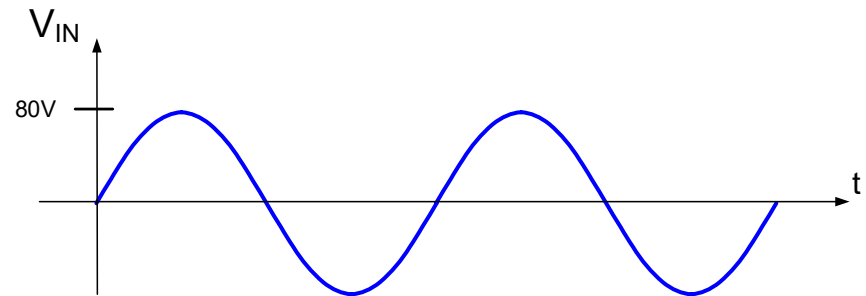
Thus valid for $V_{IN} < 0$

Example: Determine V_{OUT} for $V_{IN}=80\sin 500t$



Thus overall solution

$$V_{OUT} = \begin{cases} 80 \sin 500t & \text{for } V_{IN} > 0 \\ 40 \sin 500t & \text{for } V_{IN} < 0 \end{cases}$$

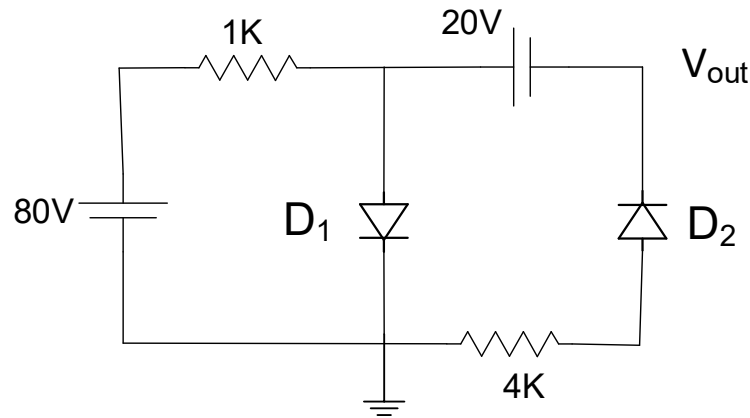


Use of Piecewise Models for Nonlinear Devices when Analyzing Electronic Circuits

Process:

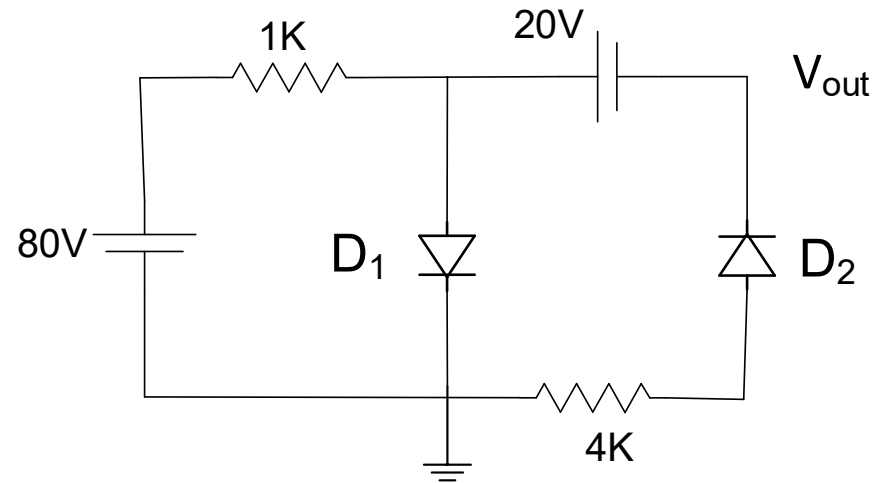
1. Guess state of the device
2. Analyze circuit
3. Verify State
4. Repeat steps 1 to 3 if verification fails
5. Verify model (if necessary)

What about circuits (using piecewise models) with multiple nonlinear devices?

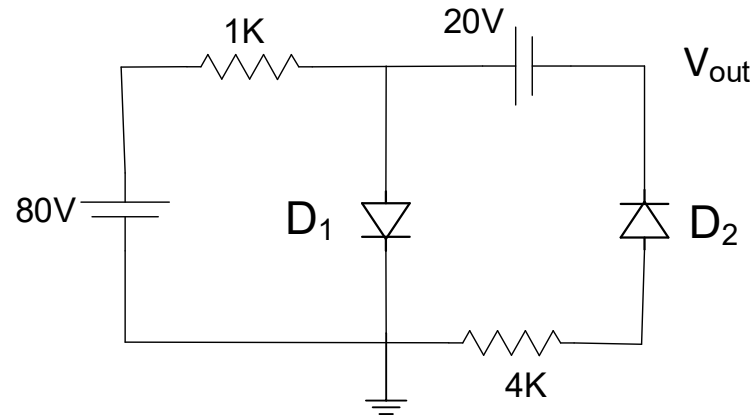


Guess state for each device (multiple combinations possible)

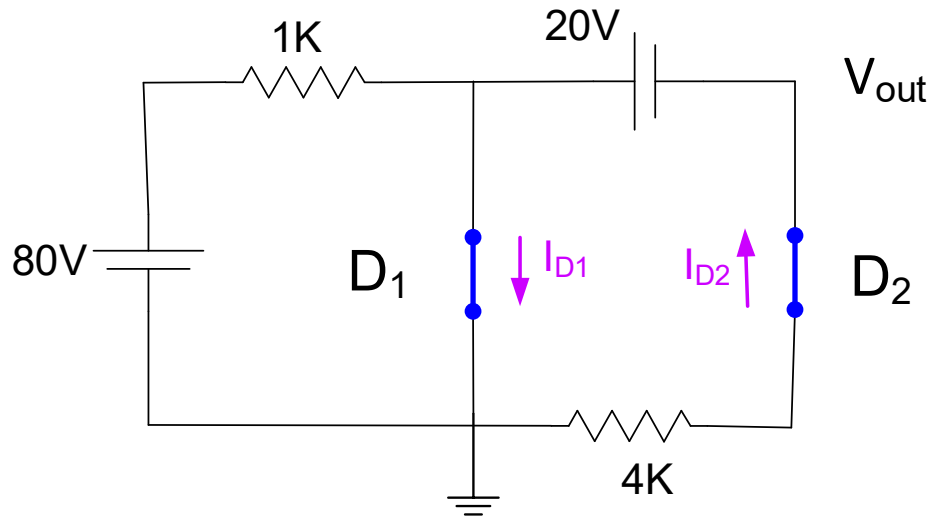
Example: Obtain V_{OUT}



Example: Obtain V_{OUT}



Guess D_1 and D_2 on



$$V_{OUT} = -20V$$

Valid for $I_{D2} > 0$ and $I_{D1} > 0$

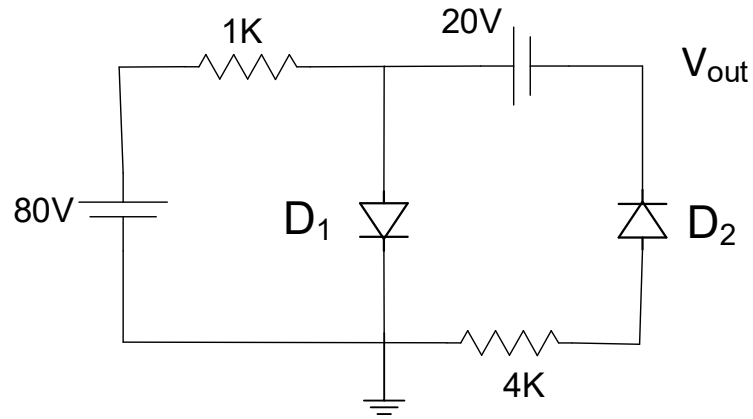
$$I_{D2} = \frac{20V}{4K} = 5mA > 0 \quad I_{D1} = \frac{80V}{1K} + I_{D2} = 85mA > 0$$

Validates

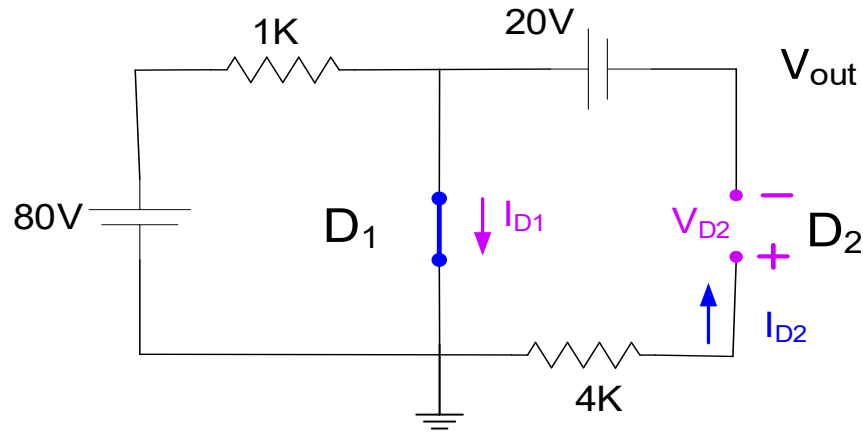
Validates

Since validates, solution is valid

Example: Obtain V_{OUT}



If we had guessed wrong
Guess D_1 ON and D_2 OFF



$$V_{OUT} = -20V$$

Valid for $I_{D1} > 0$ and

$$V_{D2} < 0$$

$$I_{D1} = \frac{80V}{1K} + I_{D2} = 80mA > 0$$

$$V_{D2} = +20$$

Validates

FAILS
Validation

Since fails to validate, solution is not valid so guess is wrong !

Use of Piecewise Models for Nonlinear Devices when Analyzing Electronic Circuits

Single Nonlinear Device

Process:

1. Guess state of the device
2. Analyze circuit
3. Verify State
4. Repeat steps 1 to 3 if verification fails
5. Verify model (if necessary)

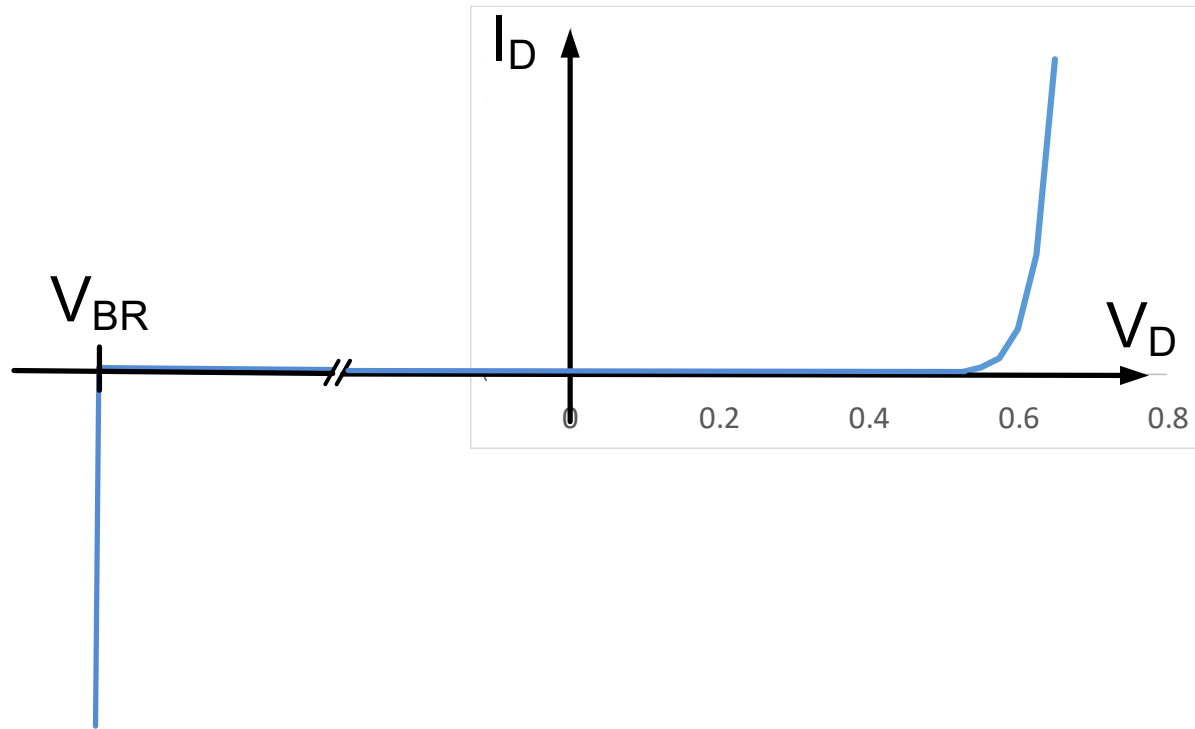
Multiple Nonlinear Devices

Process:

1. Guess state of each device (may be multiple combinations)
2. Analyze circuit
3. Verify State
4. Repeat steps 1 to 3 if verification fails
5. Verify models (if necessary)

Analytical solutions of circuits with multiple nonlinear devices are often impossible to obtain if detailed non-piecewise nonlinear models are used

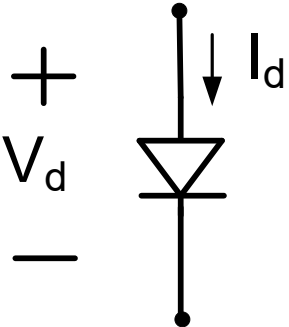
Diode Breakdown



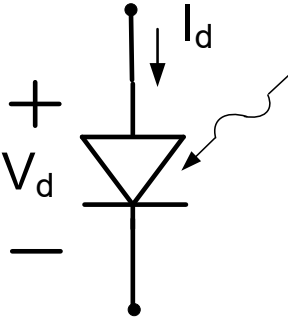
- Diodes will “break down” if a large reverse bias is applied
- Unless current is limited, reverse breakdown is destructive
- Breakdown is very sharp
- For many signal diodes, V_{BR} is in the -100V to -1000V range
- Relatively easy to design circuits so that with correct diodes, breakdown will not occur
- Zener diodes have a relatively small breakdown and current is intentionally limited to use this breakdown to build voltage references

Types of Diodes

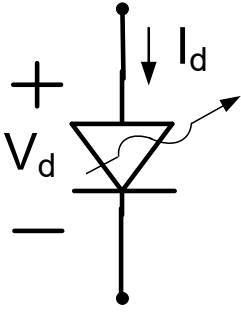
pn junction diodes



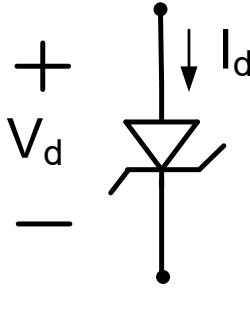
Signal or Rectifier



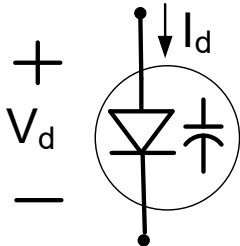
Pin or Photo



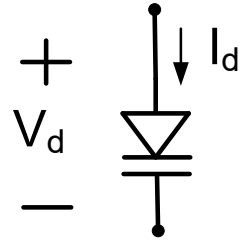
Light Emitting LED
Laser Diode



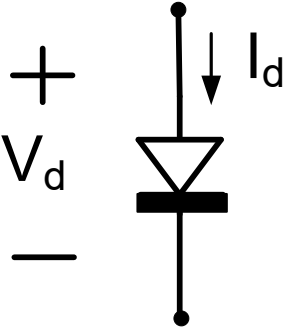
Zener



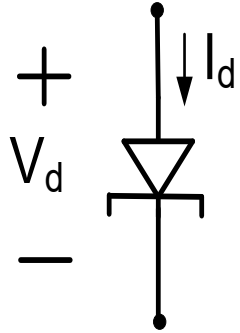
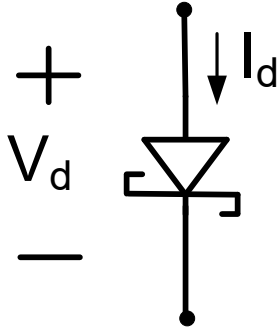
Varactor or Varicap



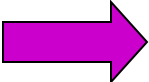
Metal-semiconductor junction diodes



Schottky Barrier



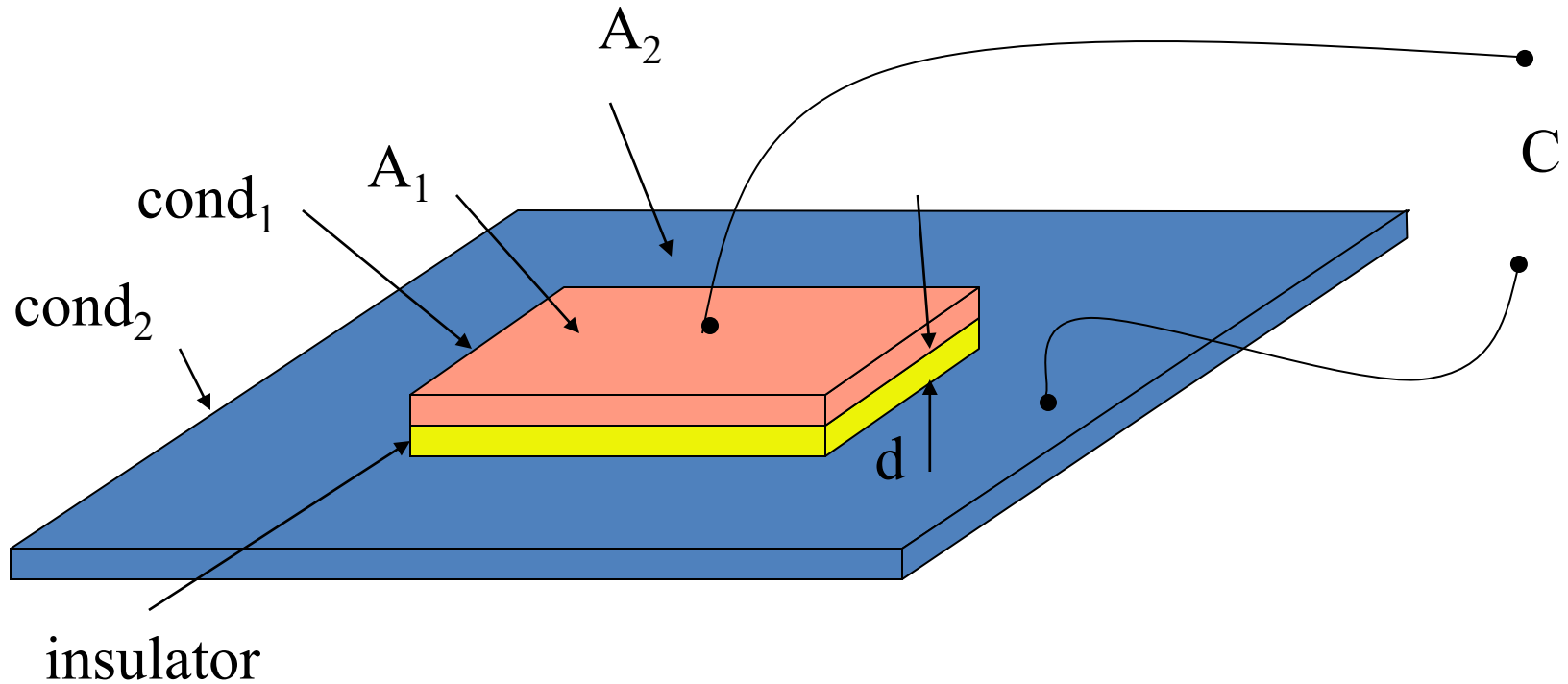
Basic Devices and Device Models

- Resistor
- Diode
-  Capacitor
- MOSFET
- BJT

Capacitors

- Types
 - Parallel Plate
 - Fringe
 - Junction

Parallel Plate Capacitors



A = area of intersection of A_1 & A_2

One (top) plate **intentionally** sized smaller to determine C

$$C = \frac{\epsilon A}{d}$$

Parallel Plate Capacitors

$$\text{If } C_d = \frac{\text{Cap}}{\text{unit area}}$$

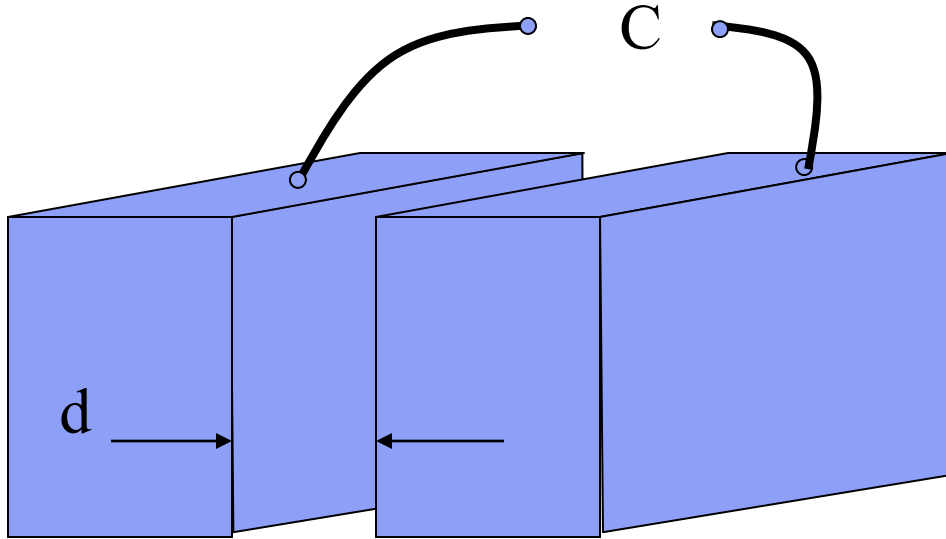
$$C = \frac{\epsilon A}{d}$$

$$C = C_d A$$

where

$$C_d = \frac{\epsilon}{d}$$

Fringe Capacitors

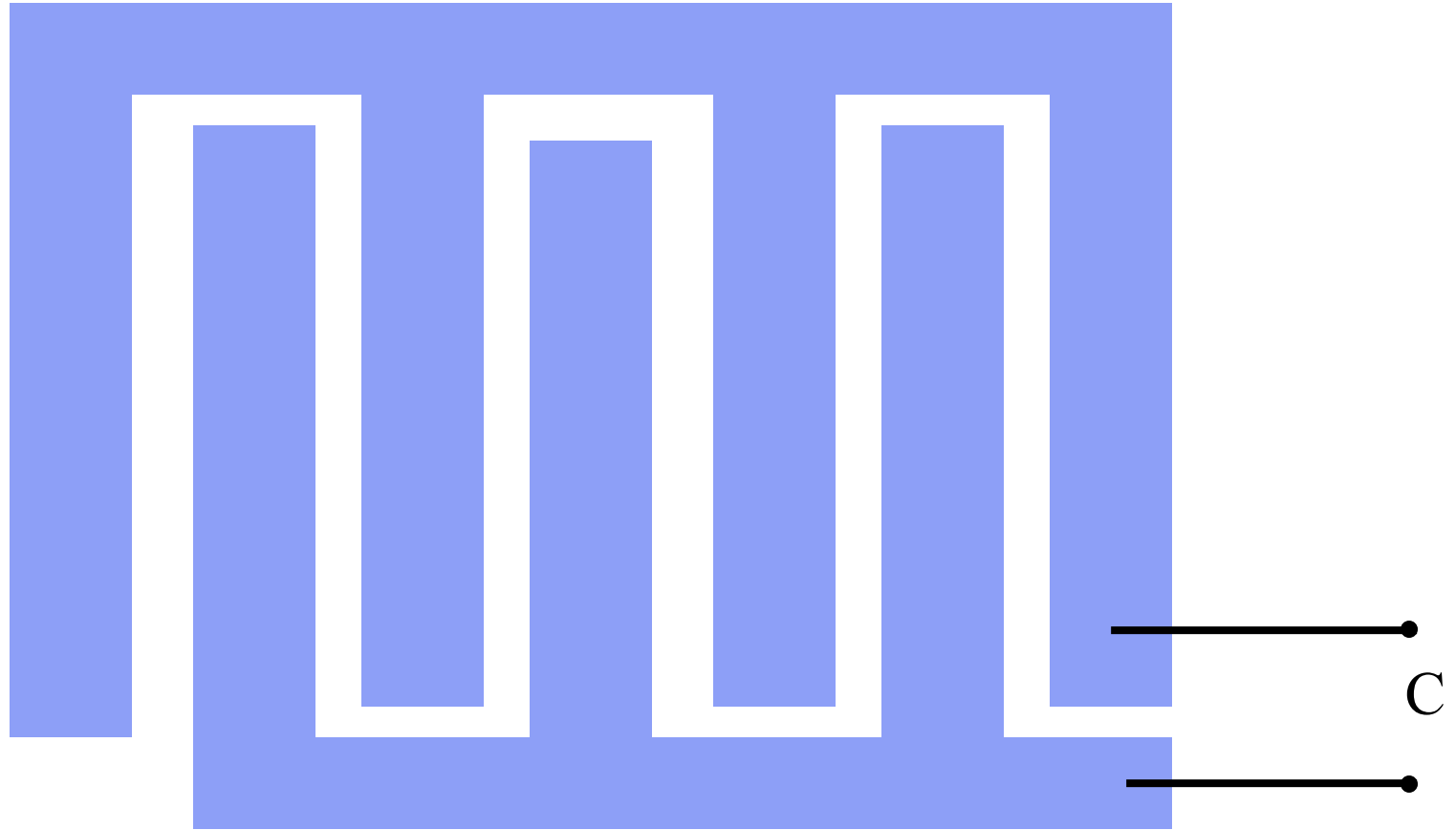


$$C = \frac{\epsilon A}{d}$$

A is the area where the two plates are parallel

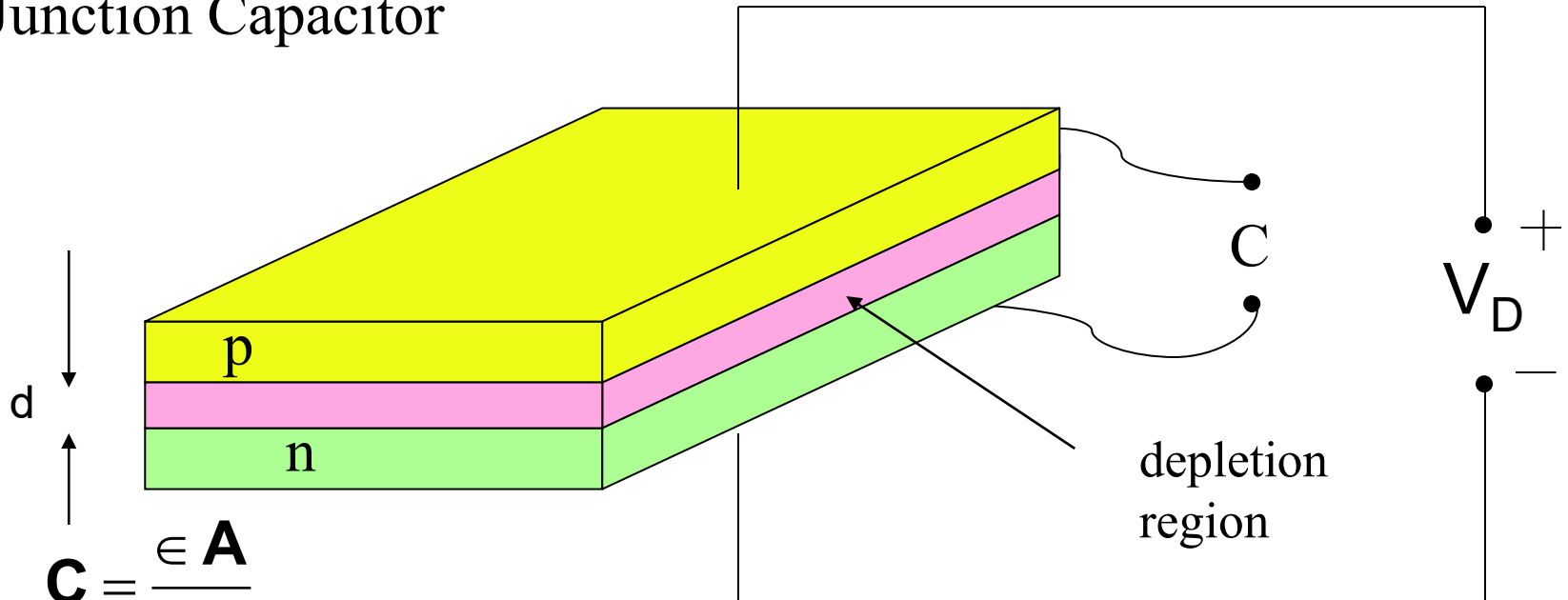
Only a single layer is needed to make fringe capacitors

Fringe Capacitors



Capacitance

Junction Capacitor



$$C = \frac{\epsilon A}{d}$$

ϵ is dielectric constant

$$C = \frac{C_{j0} A}{\left(1 - \frac{V_D}{\phi_B}\right)^n} \quad \text{for } V_{FB} < \frac{\phi_B}{2}$$

- Note: d is voltage dependent
- capacitance is voltage dependent
 - usually parasitic caps
 - varicaps or varactor diodes exploit voltage dep. of C

C_{j0} is the zero-bias junction capacitance density

Model parameters $\{C_{j0}, n, \phi_B\}$ Design parameters $\{A\}$

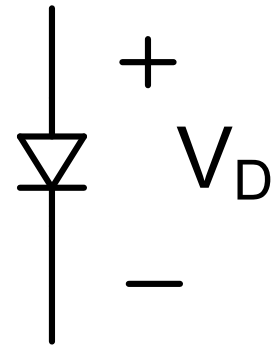
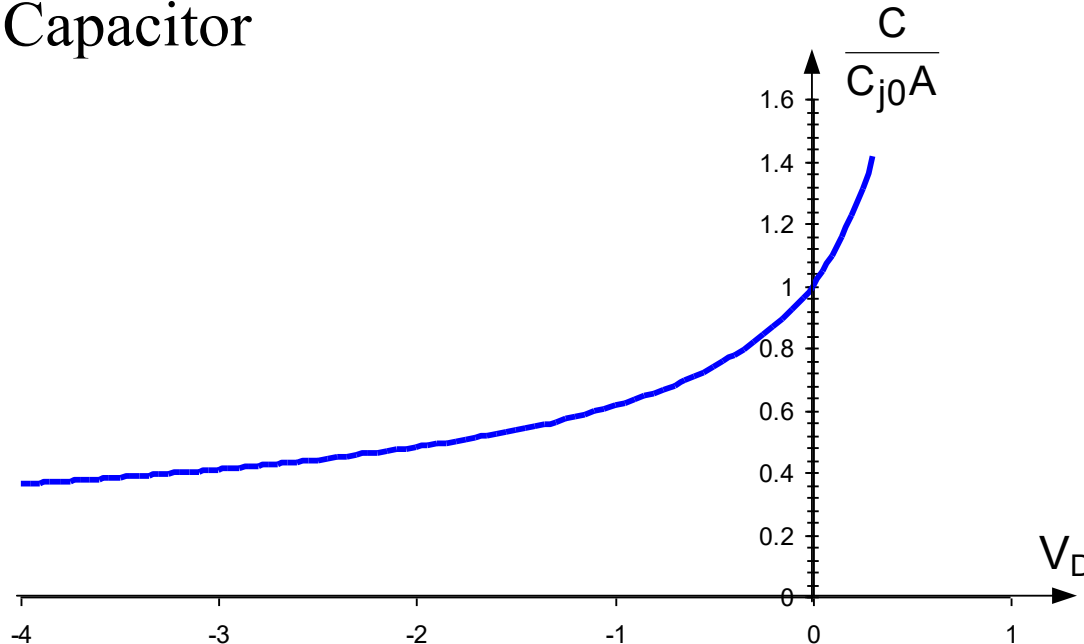
$$\phi_B \cong 0.6V$$

$$n \simeq 0.5$$

$$C_{j0} \text{ highly process dependent around } 500\text{aF}/\mu\text{m}^2$$

Capacitance

Junction Capacitor



$$C = \frac{C_{j0A}}{\left(1 - \frac{V_D}{\Phi_B}\right)^n} \quad \text{for } V_{FB} < \frac{\Phi_B}{2}$$

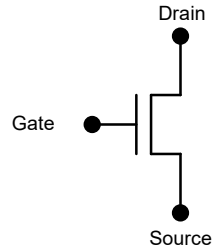
Voltage dependence is substantial

$$\Phi_B \approx 0.6V \quad n \approx 0.5$$

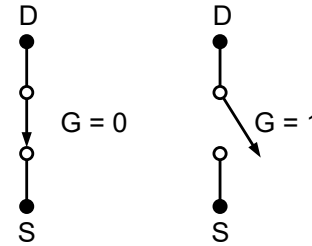
Basic Devices and Device Models

- Resistor
- Diode
- Capacitor
- MOSFET
- BJT

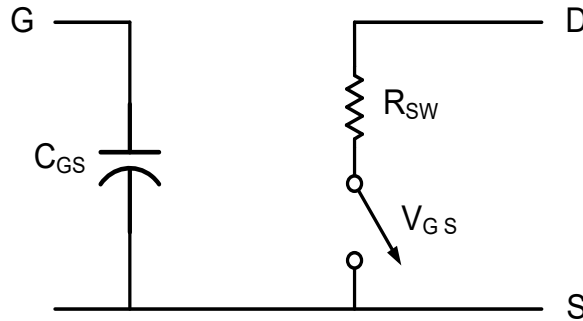
Summary of Existing Models (for n-channel)



1. Switch-Level model

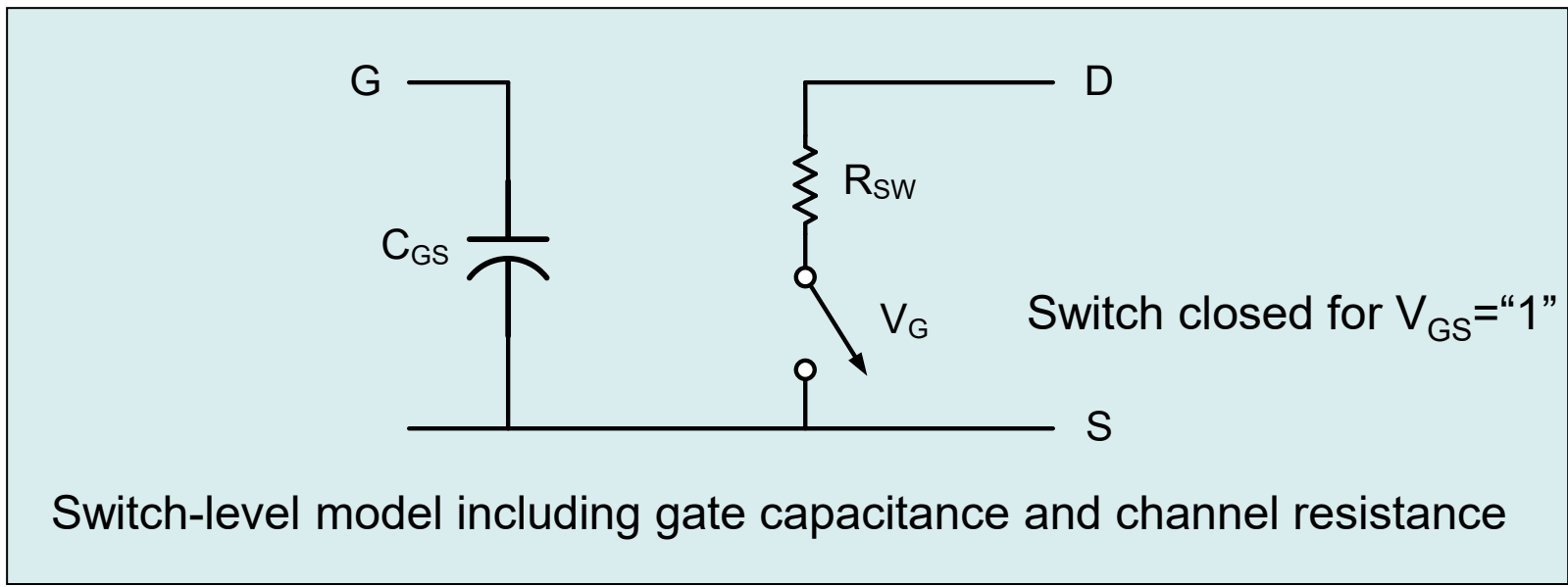


2. Improved switch-level model



*Switch closed for $|V_{GS}| = \text{large}$
Switch open for $|V_{GS}| = \text{small}$*

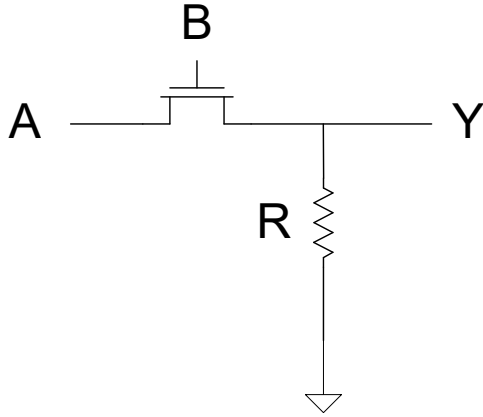
Improved Switch-Level Model



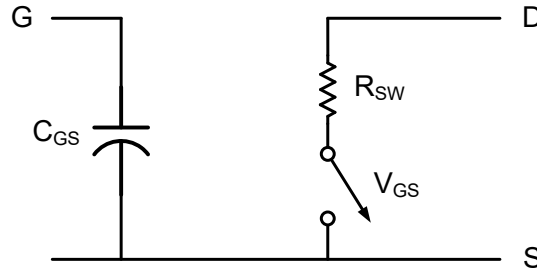
Switch-level model including gate capacitance and channel resistance

- Connect the gate capacitance to the source to create lumped model
- Still neglect bulk connection

Limitations of Existing MOSFET Models



What is Y when A=B=VDD

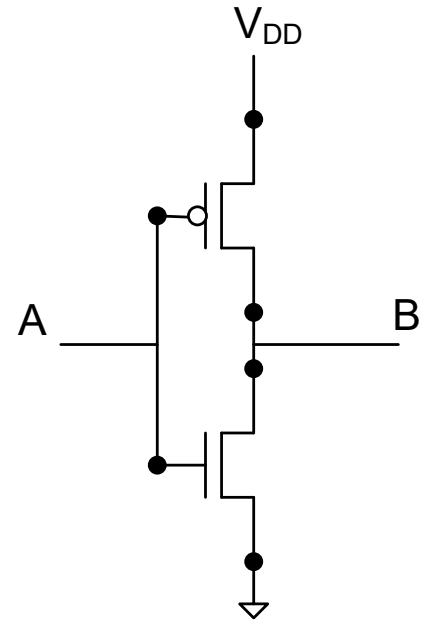


For minimum-sized devices in a 0.5 μ process with $V_{DD}=5V$

$$C_{GS} \cong 1.5\text{fF}$$

$$R_{sw} \cong \left. \begin{array}{l} 2\text{K}\Omega \text{ n-channel} \\ 6\text{K}\Omega \text{ p-channel} \end{array} \right\}$$

What is R_{sw} if MOSFET is not minimum sized?



What is power dissipation if A is stuck at an intermediate voltage?

Better Model of MOSFET is Needed!



Stay Safe and Stay Healthy !

End of Lecture 16